

EUROPEAN NETWORK FOR 3D PRINTING OF BIOMIMETIC MECHATRONIC SYSTEMS - EMERALD

Intellectual Output_01: EMERALD e-book for developing of biomimetic mechatronic systems

MODULE 2 Computer Aided Engineering

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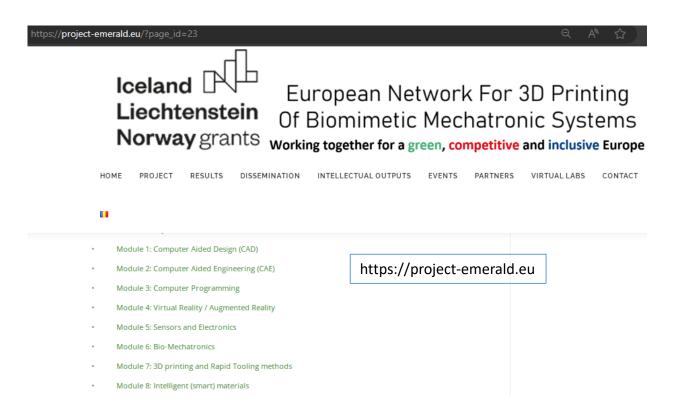












EUROPEAN NETWORK FOR **3D** PRINTING OF BIOMIMETIC MECHATRONIC SYSTEMS

MODULE 2 – CAE

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MODULE 2: Computer Aided Design

1.	Numerical Solution of Engineering Problems	3
2.	Features of the Finite Element Method	8
3.	Common Types of Finite Elements	10
	3.1. Classification of finite elements	11
	3.1.1. One-dimensional elements	12
	3.1.2. Two-dimensional elements	12
	3.1.3. Three-dimensional elements	15
	3.2. General rules to be applied when selecting the finite element type	17
4.	Example: Finite Element Analysis of a Wrist Hand Orthosis	18
	4.1. Introduction	18
	4.2. Preparation of the finite element model	20
	4.3. Interpretation of the numerical results	43
Re	ferences	54









1. Numerical Solution of Engineering Problems

The variety of problems that occur in practice is reflected in the multitude of calculation methods used at present. These methods have been gradually developed, along with the accumulation of technical and theoretical knowledge and, in the last seven decades, simultaneously with the evolution of digital computers. A basic classification of the calculation methods used in engineering distinguishes two large categories:

► Exact (or analytical) methods

≻Approximate methods.









1. Numerical Solution of Engineering Problems

Nowadays, the following approximate methods of numerical type are mainly used in engineering:

➢ Finite difference method (FDM)

➢ Finite element method (FEM)

► Boundary element method (BEM).









2. Features of the Finite Element Method

FEM builds the approximation of the exact solution as follows:

- The spatial domain occupied by the physical system under analysis is divided into a finite number of nonoverlapping subdomains called (finite) elements.
- Polynomial approximations of the problem unknowns are defined over each element.
- Each polynomial depends on the unknown values associated to a finite set of points called nodes.
- The element approximations are assembled into a global approximation of the problem unknowns.











2. Features of the Finite Element Method

In the specific case of elasticity problems, the steps performed when elaborating and solving a finite element model are as follows:

- Selecting the finite element type which is the most suitable for the problem under analysis
- Meshing the analysis domain
- Generating element approximations for the problem unknowns
- Including the element approximations in the expression of the potential energy
- Enforcing the minimum condition on the finite element approximation of the potential energy and assembling the set of equations emerging from this condition
- Applying the boundary conditions by reducing the set of equations
- Solving the set of equations for the nodal unknowns
- Reconstructing the element approximations and assembling them into a global approximation
- Analyzing the numerical results.







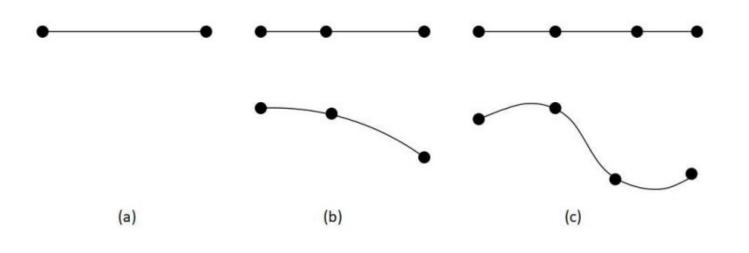




3. Common Types of Finite Elements

A general classification (but not comprehensive, unfortunately) defines three categories of finite elements differentiated by their dimensionality:

- One-dimensional elements
- Two-dimensional elements
- Three-dimensional elements.



One-dimensional finite elements: (a) First order (or linear). (b) Second order (or quadratic). (c) Third order (or cubic)





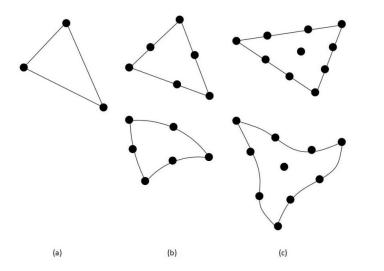




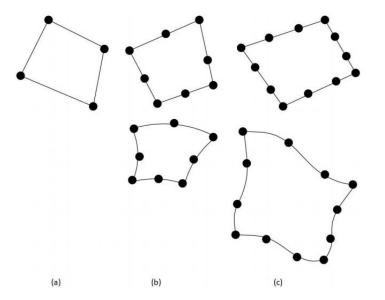


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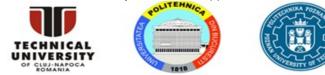
Two-dimensional elements



Triangular finite elements: (a) First order (or linear). (b) Second order (or quadratic). (c) Third order (or cubic)



Quadrilateral finite elements: (a) Bilinear. (b) Biquadratic. (c) Bicubic



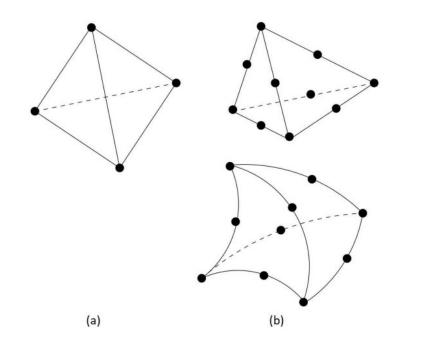


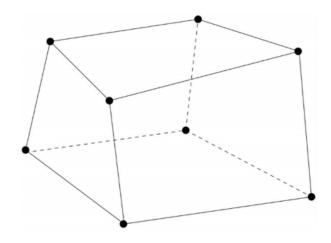




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Three-dimensional elements





Tetrahedral finite elements: (a) First order (or linear). (b) Second order (or quadratic) Hexahedral finite element of the trilinear type







3.2. General rules to be applied when selecting the finite element type

In practice, the following rules can be applied:

- When solving two-dimensional problems, bilinear quadrilateral elements should be used instead of the linear triangular ones (the former elements, having polynomial approximations of a higher degree, provide more accurate solutions at the cost of a moderate growth in the number of nodes).
- Similarly, in the case of three-dimensional problems, trilinear hexahedral elements provide more accurate solutions than the linear tetrahedral elements (however, this improvement in performance implies a doubled number of nodes at the level of each element).

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4. Example: Finite Element Analysis of a Wrist Hand Orthosis

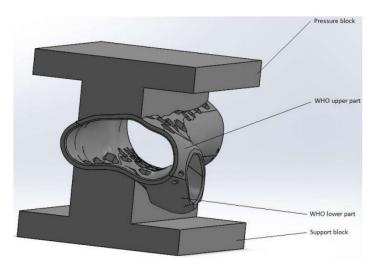


Figure 4.1: Principle of the compression test simulated for evaluating the strength characteristics of the wrist hand orthosis (WHO)

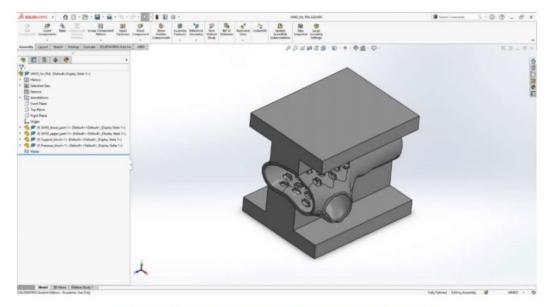


Figure 4.2: WHO assembly model open in SolidWorks

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Figure 4.3: "SOLIDWORKS Add-Ins" tab in the "Command Manager" toolbar

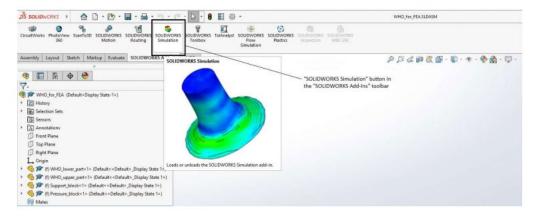


Figure 4.4: "SOLIDWORKS Simulation" button in the "SOLIDWORKS Add-Ins" toolbar

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Figure 4.5: "Simulation" tab included in the "Command Manager" toolbar after the

activation of the SolidWorks Simulation module

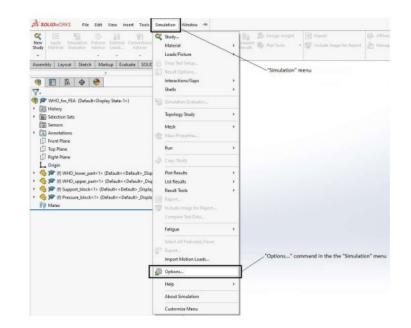


Figure 4.6: "Options..." command in the "Simulation" menu

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- Interaction	Unit system		
- Load/Fixture	SI (MKS)		
- Mesh	O English (IPS)		
- Solver and Results	O Metric (G)		
- Plot	Units		
- Color Chart	Length/Displacement:	mm ~	
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- G Plot2	Pressure/Stress:	N/mm^2(M ~	
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Figure 4.7: Changes to be made in the "Default Options" panel of the "System Options – General" window

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Defines new study.	ands Multip Chinad S(D)(000533464m) Sinulation M80
	Figure 4.8: Creation of a new FEA model
	∕S SOLIDWORKS)
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	* • • • • • • •
	Assembly Layout Sketch Markup Evaluate SOLIDWORKS Add-Ins Simulation MBD
	Study OK button
	Message Study streams, strains and factor of safety for components with linear material Name Static 1 General Simulation Type of the new FEA model
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	Use 2D Simplification Import Study Features
	Design Insight ^
	er Topology Study
	Advanced Simulation
	QB Thermal
	Buckling
	Qu Fatigue
	C Nonlinear
	Linear Dynamic

Figure 4.9: Defining the name and type of the new FEA model









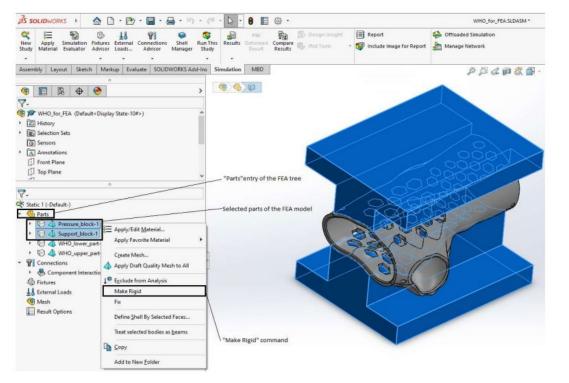


Figure 4.10: Defining the pressure block and support block as perfectly rigid bodies

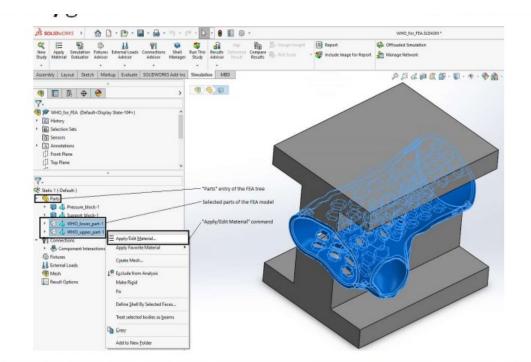


Figure 4.11: Defining the material properties of the lower and upper parts of the orthosis

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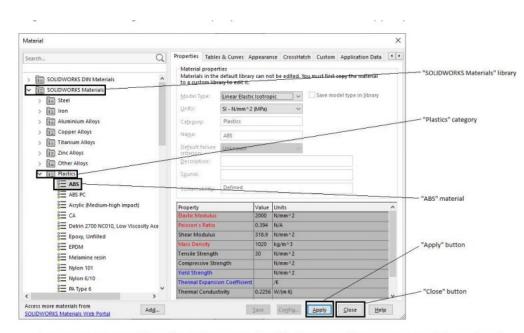


Figure 4.12: Associating the ABS material to the lower and upper parts of the orthosis

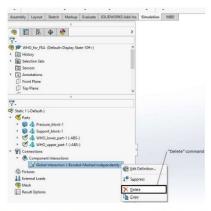


Figure 4.13: Removing the "Global Interaction" option from the FEA tree

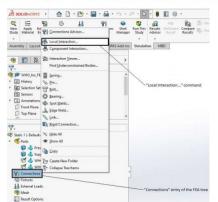


Figure 4.14: Defining a pair of contact surfaces by means of the "Local Interaction..."





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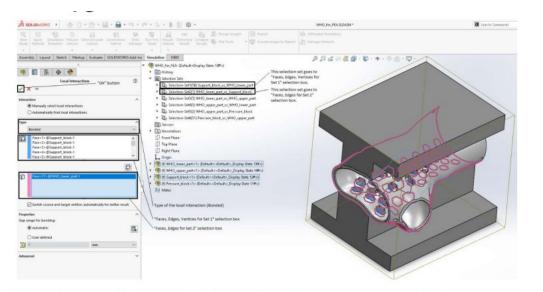


Figure 4.15: Defining the contact interaction between the support block and the lower part

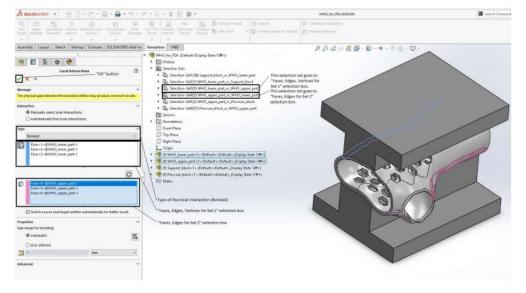


Figure 4.16: Defining the contact interaction between the lower and upper parts of the orthosis









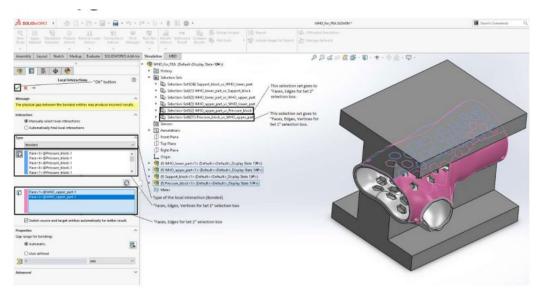


Figure 4.17: Defining the contact interaction between the pressure block and the upper part of the orthosis

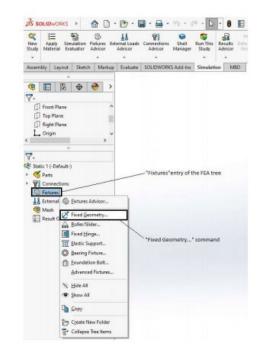


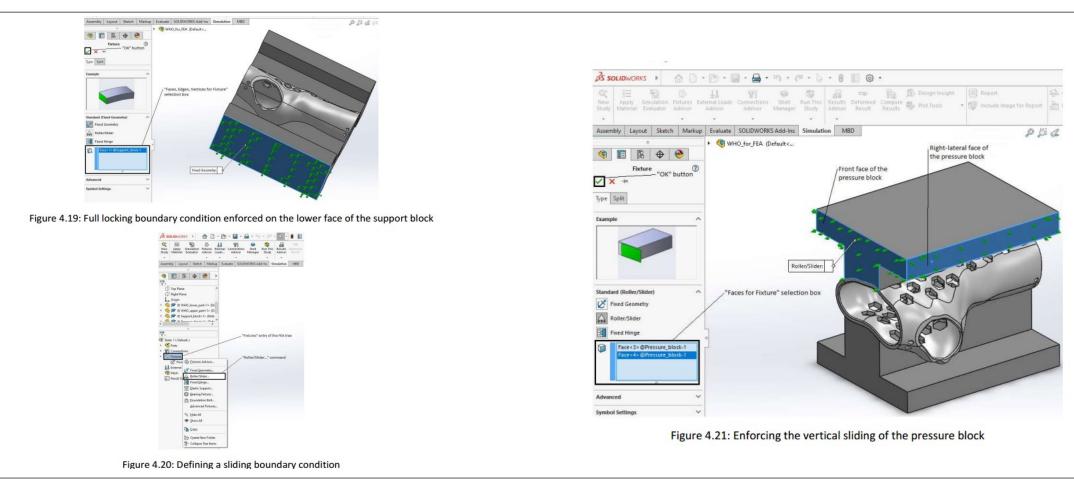
Figure 4.18: Defining a full locking boundary condition

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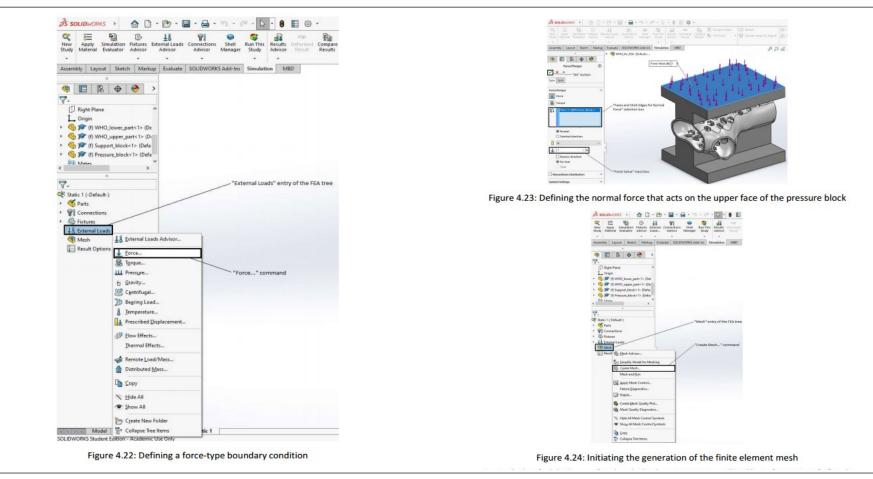








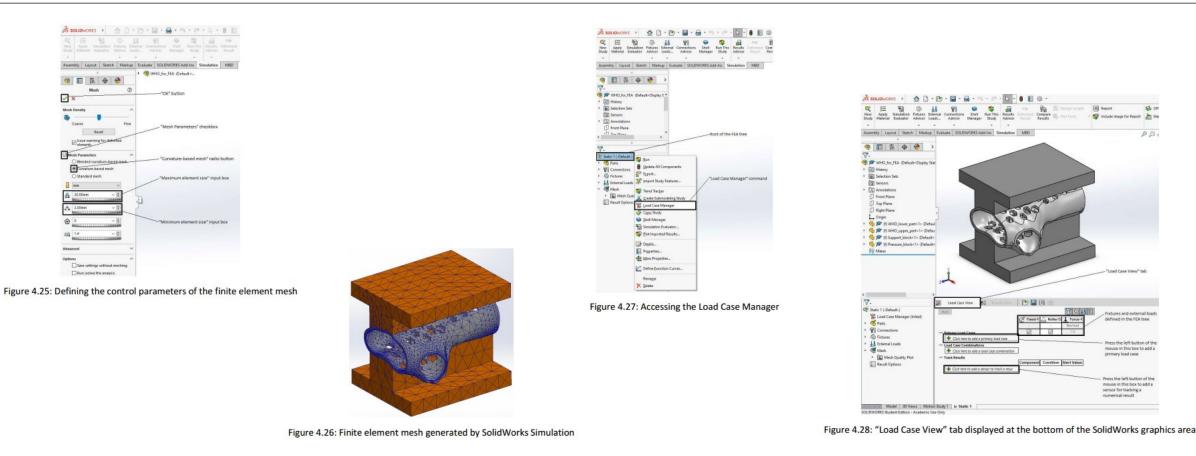
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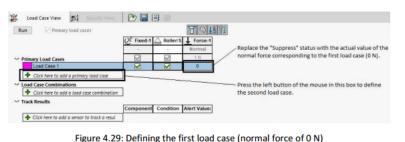
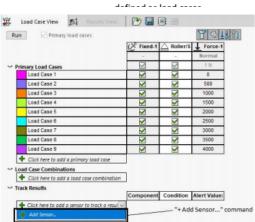




Figure 4.30: Defining the second load case (normal force of 500 N)



Figure 4.31: Actual values of the normal force acting on the upper face of the pressure block



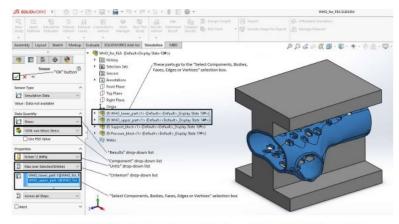


Figure 4.33: Definition of a sensor for tracking the maximum value of the von Mises equivalent stress at the level of the lower and upper parts of the orthosis

Figure 4.32: Initiating the definition of a sensor for tracking the numerical results







Figure 4.34: Initiating the definition of a new sensor for tracking the numerical results

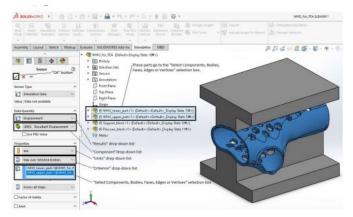


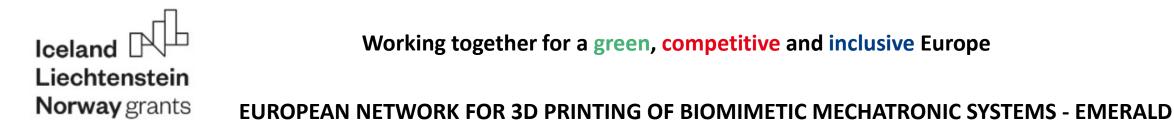


Figure 4.36: Transferring the finite element model to the SolidWorks Simulation solver

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Figure 4.35: Definition of a sensor for tracking the maximum deflection at the level of the lower and upper parts of the orthosis





4.3. Interpretation of the numerical results

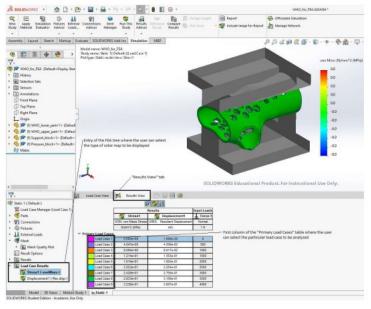


Figure 4.37: Analyzing the numerical results associated to different load cases with the help of the "Results View" tab and the "Load Case Results" entry of the FEA tree

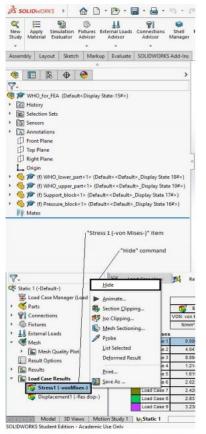
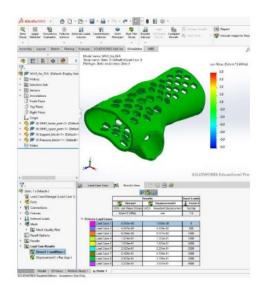


Figure 4.38: Hiding the color map "Stress1 (-von Mises-)"

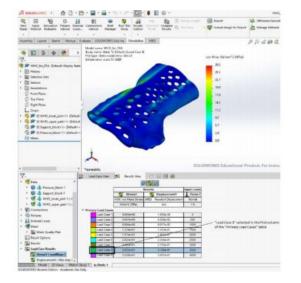




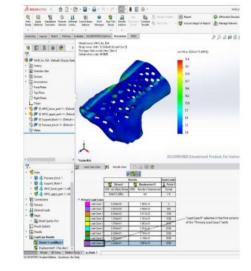
4.3. Interpretation of the numerical results



Color map showing the distribution of the von Mises equivalent stress at the level of the lower and upper parts of the orthosis (first load case)



Color map showing the distribution of the von Mises equivalent stress at the level of the lower and upper parts of the orthosis (eighth load case: compression force of 3500 N)



Color map showing the distribution of the von Mises equivalent stress at the level of the lower and upper parts of the orthosis (ninth load case: compression force of 4000 N)

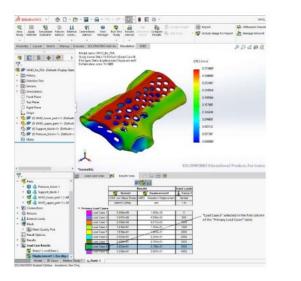




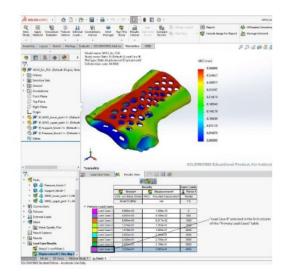




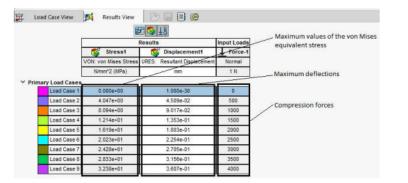
4.3. Interpretation of the numerical results



Color map showing the deflections at the level of the lower and upper parts of the orthosis (eighth load case: compression force of 3500 N)



Color map showing the deflections at the level of the lower and upper parts of the orthosis (ninth load case: compression force of 4000 N)



Maximum value of the von Mises equivalent stress, maximum deflection, and compression force corresponding to different load cases listed in the "Primary Load Cases" table

Table 4.1: Compression force, maximum value of the von Mises equivalent stress, and maximum deflection corresponding to different load cases (see also Figure 4.47)

Load case	Compression force	Maximum value of the von Mises	Maximum deflection	
LUdu Case	<i>F</i> [N]	equivalent stress $\sigma_{ m eq,max}$ [MPa]	d _{max} [mm]	
1	0	0.00	0.000	
2	500	4.05	0.045	
3	1000	8.09	0.090	
4	1500	12.14	0.135	
5	2000	16.19	0.180	
6	2500	20.23	0.225	
7	3000	24.28	0.271	
8	3500	28.33	0.316	
9	4000	32.38	0.361	











Dependence σeq,max vs F: red dots – numerical results taken from Table 4.1; black line – linear regression

The results of the finite element analysis show that the wrist hand orthosis exhibits a high compression strength.

The critical value of the compression force $Fm \approx 3706$ N is much greater than the greatest load that normally occurs when patients wear such medical devices. Of course, the overall strength of the wrist hand orthosis is fully assessable only by analyzing its behavior in different loading conditions.







Dependence dmax vs F: red dots - numerical results taken from Table 4.1; black line - linear regression